

# Supplementary Information for “High pO<sub>2</sub> Floating Zone Single Crystal Growth of the Perovskite Nickelate PrNiO<sub>3</sub>”

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In the main text, we considered the single crystal X-ray diffraction patterns (Figure 5) in pseudocubic symmetry. In doing so, we considered twinned orthorhombic (space group *Pbnm*) and monoclinic (*P2<sub>1</sub>/n*) structures. When twinned, there are six matrix transformations that relate these two space groups to the pseudocubic axes:

$$M = \begin{bmatrix} -1/2 & 0 & 1/2 \\ 1/2 & 0 & 1/2 \\ 0 & 1/2 & 0 \end{bmatrix}, \begin{bmatrix} 1/2 & 0 & 1/2 \\ 1/2 & 0 & -1/2 \\ 0 & 1/2 & 0 \end{bmatrix}, \begin{bmatrix} 0 & 1/2 & -1/2 \\ 0 & 1/2 & 1/2 \\ 1/2 & 0 & 0 \end{bmatrix}, \\ \begin{bmatrix} 0 & 1/2 & 1/2 \\ 0 & -1/2 & 1/2 \\ 1/2 & 0 & 0 \end{bmatrix}, \begin{bmatrix} 1/2 & -1/2 & 0 \\ 1/2 & 1/2 & 0 \\ 0 & 0 & 1/2 \end{bmatrix}, \begin{bmatrix} 1/2 & 1/2 & 0 \\ -1/2 & 1/2 & 0 \\ 0 & 0 & 1/2 \end{bmatrix},$$

such that  $(\vec{a}, \vec{b}, \vec{c})_{pc} = (\vec{a}, \vec{b}, \vec{c})_{m,o} M$ . The Miller indices transform by the same matrices such that  $(h, k, l)_{pc} = (h, k, l)_{m,o} M$ . The following reflection conditions exist for the Miller indices in the *Pbnm* space group: for *0kl*,  $k=2n$  (where  $n$  is an integer); for *h0l*,  $h+l=2n$ ; for *h00*,  $h=2n$ ; for *0k0*,  $k=2n$ ; for *00l*,  $l=2n$ . For the *P2<sub>1</sub>/n* space group, the *0kl* condition is deleted, and all other conditions remain. When calculating the positions of systematic absences that are marked in Figure 5 of the main text, we transformed all allowed reflections for the *Pbnm* and *P2<sub>1</sub>/n* space groups to the pseudocubic coordinates using the above matrices.